# Association Genetics in a Simulated Barley Population





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#### Introduction

This work investigates strategies for dealing with population structure in a simulated barley association mapping population. Barley is an inbreeding plant with a selfing rate of more than 90%. This leads to almost completely homozygous accessions. Commonly used approaches for locating traits, such as the transmission disequilibrium test, cannot be applied to such populations. Accounting for population structure by using marker information to estimate relatedness between each pair of cultivars is an alternative strategy and 3 approaches are investigated in this work. The naïve approach is also studied.

# Simulated Population

48 landraces from the Mapping Adaptation of Barley to Drought Environments (MABDE) project were used as founders for the simulation. These came from 5 geographically distinct regions. 500 generations of random mating with a selfing rate of 0.92 were followed by several rounds of selection on three simulated traits, using different selection criteria in each region.

Initially, individuals for the selection panel were chosen within regions, generating what we denote as 'old cultivars'. This was followed by selection across regions to produce 'modern cultivars'. Landraces (generated after random mating) were also included in the selection panel.

811 DaRT markers were available on the original 48 landraces and were simulated from these for the association panel. 10 association panels were simulated and 10 traits were generated for each panel from markers selected at random.

Association panel 5 regions -

40 'old' cultivars per region 40 'modern' cultivars per region 20 landraces per region Replicated field trial, 3 complete blocks



#### Simulated traits

Each trait was simulated as follows:  $y_{ij} = m + ad_i + g_i + e_{ij}$ 

where y<sub>ii</sub> is the trait value for genotype i in block j, m is the mean, a is the marker effect, d = 0 if the marker is absent and 1 if it is present,  $g_i$  is the polygenic effect for genotype i,  $g \sim N(0, A\sigma_s^2)$ , and  $e_i$  is the residual term,  $e_i$  are IID,  $N(0, \sigma^2)$ .

m is set to zero and  $\sigma^2 = 1$ . A is the additive genetic relationship matrix

estimated from information about inheritance of markers from founders.

- σ,<sup>2</sup> and marker effect chosen according to 4 scenarios:
- Heritability = 50%, Marker effect = 50%
- 2 Heritability = 50%, Marker effect = 25% 3 Heritability = 25%, Marker effect = 50%
- 4 Heritability = 25%, Marker effect = 25%

#### Model for Analysis

- $Y = \mu + a_p + g_i + b_j + p_k + e_{ikp}$
- a, effect of allele p
- g<sub>i</sub> genetic effect for line i
- b<sub>i</sub> effect of block j
- Fixed Effects Marker data a<sub>p</sub>
- Random Effects Genotype g, Block b,
- Kinship matrix (**K**) used for variance of random effect q. Var(q) = 2**K** $\sigma^2$ The following statement was used in Genstat to include the kinship matrix in the mixed models:
- VCOMPONENTS [fixed=SNP] random=ID+Genotype+Block VSTRUCTURE [term=Genotype] model=fix; inverse= REML trait

#### Methods for Accounting for Population Structure

1 Do nothing (Naïve approach)

- 2 Kinship matrix Ritland coefficients (Ritland, 1996), estimated from a random sample as
- $F_{ii} = (Q_{ii} Q_{m})/(1 Q_{m})$

where Q is the probability of identity by state for random genes for individuals i and j, Q\_ is the average probability of identity by state for genes from random individuals.

3 Kinship matrix K. - Stich et al. (2008), a development of the approach of Bernardo (1993).  $K_{-} = (S_{-} - 1)/(1 - T_{-})$ 

where S<sub>i</sub> is the proportion of identical markers for lines i and j, and  $T_{ij} = P(IBS | not IBD)$ . Stich et al. (2008) estimates T by minimising deviance from REML.

### **Results**

Figures 2a and b shows -log10(p-value) for fitting a trait to 811 markers. The difference between accounting for population structure (Figure 2a (using  $\mathrm{K_{T}}$ )) and failing to do so (Figure 2b) is clear. Both models locate the trait locus but the model with no correction for population structure has many false positives. The circle indicates the trait locus.

Figure 4 shows the proportion of true trait loci detected (P < 0.001) for the 3 models and the 4 different scenarios. The naïve approach detects more of the trait loci than the other approaches. The K, kinship method detects more traits than the Bitland method when marker effects are low





Figure 3 shows the total number of false positives (lying more than 3cM from the trait locus) among 117 markers on 1H (P < 0.001) for each scenario. The models with no population structure (None) shows a high number of false positives. The Ritland measure of kinship has slightly fewer false positive than the K- measure.

Figure 5 shows boxplots of the effects at the trait locus for the different models with heritability = 50% and marker effect of 50%. All three models estimate the effect well but the naïve model has greater variation than either of the methods which include a kinship matrix. The dashed line shows the simulated marker effect.





## Discussion

Unless population structure is taken properly into account, association mapping of quantitative traits can give high numbers of false positive associations.

Including a kinship matrix in the model was found to be a better approach with both kinship measures giving similar performance.

#### References

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